PHYSICS 201	Translational Motion	Rotational Motion		
Equations Sheet				
T3 F22 Marke-up	LINEAR	ANGULAR		
Time	t	T		
Displacement	$x;$ $(x = r\theta)$	θ		
Velocity	$v = \Delta x/\Delta t$; $(v = r\omega)$	$\omega = \Delta\theta/\Delta t$		
Acceleration	$a = \Delta v/\Delta t;$ $(a = r\alpha)$	$\alpha = \Delta \omega / \Delta t \qquad (a_c = r\omega^2 = \frac{v^2}{r})$		
Kinematic Equations	$v = v_0 + at$	$\omega = \omega_0 + \alpha t$		
1	$x = \frac{1}{2}(v + v_0)t$	$\theta = \frac{1}{2}(\omega + \omega_0)t$		
	$x = v_0 t + \frac{1}{2} a t^2$	$\theta = \omega_0 t + \frac{1}{2} \alpha t^2$		
	$v^2 = v_0^2 + 2ax$	$\omega^2 = \omega_0^2 + 2\alpha\theta$		
Inertia	m = mass	I = Rotational inertia;		
		$I = \sum m_i r_i^2$		
To create	force = F	torque = τ = LA·F		
Newton's second law of	$\Sigma \mathbf{F} = \mathbf{ma}$	$\Sigma \tau = I \alpha$		
motion	$\Sigma \mathbf{F} = \Delta \mathbf{p} / \Delta \mathbf{t}$	$\Sigma \tau = \Delta \mathbf{L}/\Delta t$		
Work	$F \cdot x$	$ au \cdot heta$		
Kinetic Energy	Translational Kinetic	Rotational Kinetic		
	Energy = $TKE = \frac{1}{2} \text{ mv}^2$	Energy = RKE = $\frac{1}{2}$ I ω^2		
Momentum	$\mathbf{p} = \mathbf{m} \cdot \mathbf{V}$	$\mathbf{L} = \mathbf{I} \cdot \mathbf{\omega}$		
Conservation of	$\Sigma m_i v_i = \Sigma m_f v_f$	$\Sigma I_i \omega_i = \Sigma I_f \omega_f$		
momentum				

Pressure = Force/Area

$$P_{abs} = P_{atm} + P_G$$

Density = Mass/Volume

Pressure (P) due to depth h of fluid of density ρ ; P = ρ gh. 1 atm = 1.013 x 10⁵ N/m² = 76 cm.Hg = 760 mm.Hg

Buoyant force: $F_b = \rho_f v_f g$

The density of the air is 1.29 kg/m³; Density of water = $1000 \text{ kg/m}^3 = 1 \text{ g/cm}^3$; Acceleration due to gravity = g = 9.8 m/s^2 . 1 Revolution = $2\pi \text{ rad}$.

Area of a circle of radius r, $A_{circle} = \pi r^2$. Area of a rectangle of length l, and width w, $A_{rec} = 1 x$ w; Area of a triangle, $A_{triangle} = 0.5 x$ base x height.

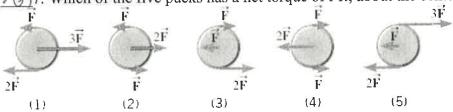
Volume of a cylinder of radius r and height h; $V = \pi r^2 h$; Volume of a sphere = (4/3) πr^3 . Frictional force = $F_{fr} = \mu_k F_N$ GPE = mgh

	Mah	e-up	1/			
PHYS 201 Fa	ll 2022 Test	#3 Name	. M	7		
I. For the folloquestion numb	Mall 2022 Test owing multiple- per.	choice questio	ns, write you	r answer in the	line next to the	
watch?				e minute hand o	f an analog	
a. 6	b. 12	c. 15	d. 30	e. 36	6	
$\frac{\Delta}{\text{a. }1.75 \times 10^{-3}}$	is the angular sp b. 0.105	peed in rad/s of c. 8.33 x 10 ⁻³	f the minute l d. 8.73	nand of an analox 10 ⁻³ e. 1.4	og watch? 27 60 45 x 10-4	760
$\frac{\mathcal{L}}{\text{of 3.0 km. Wh}}$ 3. The ra	adius of each w nat is the angula	heel on a bicycar distance (in	cle is 0.400 m SI units) each	n. The bicycle tr wheel travels (avels a distance (wheels do not	000 300
a. 7.5	b. 1200	c. 2400	d. 3750	e. 6000	f. 7500	
b 4. The dr is perpendicul	rawing illustrate lar to the page.	es top view of a There are four	a door and its forces acting	s hinge/axis of r on the door, ar rque, about the	nd they have the	e
a. F ₁					ew of door	Ë

Hinge

6-7) Five hockey pucks are sliding across frictionless ice. The drawing shows a top view of the pucks and the three forces that act on each one. As shown, the forces have different magnitudes (F, 2F, or 3F), and are applied at different points on the pucks.

4 6. Which one of the five pucks is in Equilibrium? (1) $\cancel{F(3)}$ 7. Which of the five pucks has a net torque of FR, about the center?



8. A twin-sized air mattress used for camping has dimensions of 70 cm by 150 cm by 10 cm when blown up. The weight of the mattress is 17.0 kg. How heavy a person could the air mattress hold if it is placed in freshwater?

a. 17.0 kg

 $b. F_2$ c. F₃ d. F4

b. 88 kg

5. For the above question, in the diagram,

show the lever-arm for force, F_3 .

c. 105 kg

d. 122 kg

e. 170 kg

9. What is the pressure difference between the top and bottom of a 645-m high skyscraper? Assume that the density of air is a constant 1.29 kg/m³.

a. 76 cm. of Hg

b. 6321 Pa

c. 76 Pa

d. 832 Pa

e. 8154 Pa

10. The purpose of a water tower is to provide storage capacity and to provide sufficient pressure in the pipes that deliver the water to customers. The drawing shows a spherical reservoir, which is vented to the atmosphere at the top and full. What height must be used to find the gauge pressure at the faucet in house A?

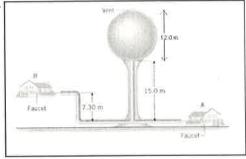


b. 15 m

c. 19.7 m

d. 27 m

e. 34.3 m



<u>Q</u> 11. Which one of the following is a correct statement of Archimedes's principle? a. Any change in the pressure applied to a completely enclosed fluid is transmitted undiminished to all parts of the fluid and the enclosing walls.

b. Any fluid applies a buoyant force to an object that is partially or completely immersed in it; the magnitude of the buoyant force is greater than the weight of the fluid that the object displaces.

c. Gauge pressure is the pressure measured by a pressure gauge. It is the difference between the absolute pressure and atmospheric pressure.

d. Any fluid applies a buoyant force to an object that is partially or completely immersed in it; the magnitude of the buoyant force is less than the weight of the fluid that the object displaces.

e. Any fluid applies a buoyant force to an object that is partially or completely immersed in it; the magnitude of the buoyant force equals the weight of the fluid that the object displaces.

____12. Sit-ups are more difficult to do with your hands placed behind your head instead of on your stomach. This is because,

a. The mass is greater when the hands are placed behind the head instead on the stomach.

b. The mass is smaller when the hands are placed behind the head instead on the stomach.

c. The moment of inertia is greater when the hands are placed behind the head instead on the stomach.

d. The moment of inertia is smaller when the hands are placed behind the head instead on the stomach.

13. A metal casting with air-cavities has a mass of 535-g in air and a mass of 367-g in water, when fully submerged. What is the total volume of all the cavities in the casting, in cm³? The density of this pure metal (that is, a sample with no cavities) is 8.9 g/cm³.

a. 168 cm³ b. 60.1 cm³ c. 108 cm³ d. 41.2 cm³ e. 127 cm³

End of MC questions

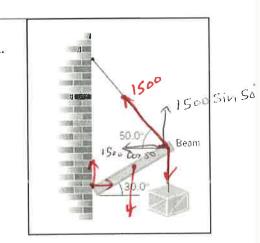
II. A 1220-N uniform beam is attached to a vertical wall at one end and is supported by a cable (tension = 1500 N) at the other end.

A 1960-N crate hangs from the far end of the beam.

a. Draw a free-body diagram for the beam and identify all the forces.

b. Resolve the tension in the cable into horizontal and vertical components.

1500 los 50 C



III. Consider the 13.0 kg motorcycle wheel shown in Figure. Assume it to be approximately an annular ring with an inner radius of 0.290 m and an outer radius of

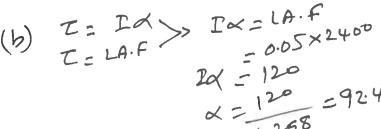
0.340 m. The motorcycle is on its center stand, so that the wheel can spin freely.

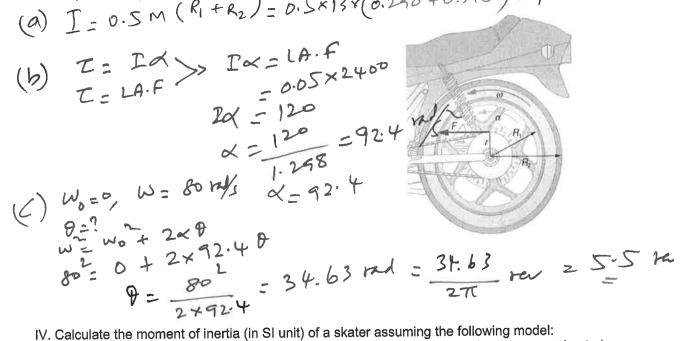
(a) Calculate the rotational inertia of the wheel? I (annular ring) = 0.5 $M(R_1^2 + R_2^2)$

(b) If the drive chain exerts a force of 2400 N at a radius of 5.00 cm, what is the angular acceleration of the wheel?

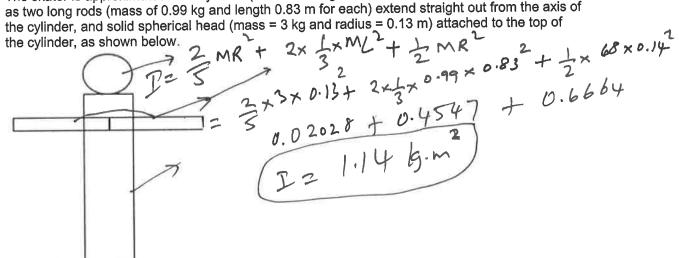
(c) Starting from rest, how many revolutions the wheel needs to make to reach an angular

velocity of 80.0 rad/s? $(R_1 + R_2) = 0.5 \times 13 \times (0.280^2 + 0.340^2) = 1.298 \text{ Kg.m}$





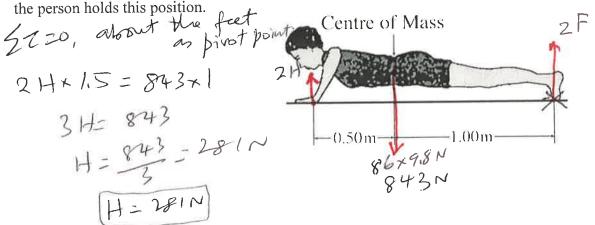
IV. Calculate the moment of inertia (in SI unit) of a skater assuming the following model: The skater is approximated as a cylinder (mass of 68 kg and radius 0.14 m), arms approximated as two long rods (mass of 0.99 kg and length 0.83 m for each) extend straight out from the axis of



Point Mass or



V. The drawing shows a person, mass = 86 kg, doing push-ups. Draw a free-body-diagram and find the force exerted by the floor on each hand (in SI unit), assuming that

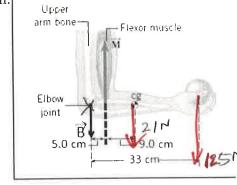


VII. A man holds a 125-N ball in his hand, with the forearm horizontal, as shown in the drawing. He can support the ball in this position because of the flexor muscle force, \vec{M} , which is applied perpendicular to the forearm and the force, \vec{B} , applied by the upper-arm bone. The forearm weighs 21.0 N and has a center of gravity as shown.

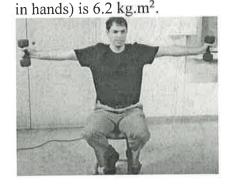
a) Show the weight of the ball and forearm in the diagram.

b) Find the magnitude of the force
$$\overline{M}$$
.

 $57 = 0$, about the elbow joint $M \times 5 = 21 \times 14 + 125 \times 33$
 $5M = 4419$
 $M = 834 N$



VII. A person, stretching his hands out and holding two masses (5.5 kg each), as shown is rotating at an angular speed of 3.5 rad/s. What will be the angular speed if he drops one of the masses while holding this position? Assume that each of the masses are 0.8 m from the axis of rotation and the rotational inertia of the person and stool (without the masses



Frad/s. What will be the angular speed if he drops one position? Assume that each of the masses are 0.8 m from onal inertia of the person and stool (without the masses

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$$\Gamma_2 = 6 \cdot 2 + 3 \cdot 5 + 3 \cdot 5 = 13 \cdot 2 + 17 \cdot m$$

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